

REDUCED FOUR-WAVE MIXING OPTICAL FIBER FOR WAVELENGTH-DIVISION MULTIPLEXING

BACKGROUND OF THE INVENTION

5 The present invention relates generally to optical fibers and, more particularly, to optical fibers in which the occurrence of four-wave mixing is reduced.

10 The advent of wavelength-division multiplexing (WDM) in optical networking has increased the demands placed on optical fibers. Manufacturers are pressured to produce optical fibers that are capable of carrying optical signals on a wider range of wavelengths and over longer distances with less loss than can be accomplished with presently available optical fibers. Concurrent developments in optical sources for WDM have increased the amount of optical power and bit rates that must be transmitted through the optical fiber.

The demand for higher optical power throughput and wider range of transmitted wavelengths has led to an increase in the occurrence of error due to nonlinear optical effects produced during light propagation through the optical fiber. Four-wave mixing (FWM) is especially problematic in WDM networks because this nonlinear optical effect leads to communication errors that cannot be easily removed by known solutions such as, for example, wavelength filtering and equalization.[1]

As is well-known in the art, FWM is the induced combination of three wavelengths to produce one or more new wavelengths. Two of the three combining wavelengths can be degenerate such that FWM also includes the combination of two wavelengths to produce one or more new wavelengths. Optical power is taken away from the combining wavelengths and transferred to the new wavelengths in the FWM process. FWM is especially problematic in optical communications if the new wavelengths produced by the FWM process overlap the assigned wavelengths of existing WDM channels because it is difficult to distinguish between the legitimate optical data signals at these existing WDM channels and the error signal superimposed thereon as the result of FWM. Therefore, it is of particular concern to the practitioner of the art to suppress FWM.

25 It is also well-known that the efficiency of the FWM process increases when the potentially combining wavelengths travel along the optical fiber at the same group velocity over an extended distance. In other words, the longer the potentially combining wavelengths travel together down the optical fiber at the same group velocity, the higher the risk of communication error resulting from FWM. A typical group index profile, generally indicated by reference number 10, as a function of wavelength is shown in FIG. 1. As shown in FIG. 1, a conventional optical fiber typically exhibits a group index profile that is slightly parabolic in shape over the optical fiber communication wavelength range. As indicated by dotted lines 12, 14 and 16, there exist pairs of wavelengths, such as λ_1 and λ_2 shown in FIG. 1, that share the same group index values. In the example shown in FIG. 1, light signal of wavelength λ_1 and light signal of wavelength λ_2 traveling through the optical fiber will both "see" a group index value of $n_1 = n_g(\lambda_1) = n_g(\lambda_2)$. Since the group velocity is related to the group index by the equation: $v_g = c / n_g$, the group velocity of a light signal of wavelength λ_1 is equal to the group velocity of a light signal of wavelength λ_2 . In this way, in conventional

optical fibers, the group velocities of the shorter wavelengths in the wavelength range are generally the same as the group velocities of the longer wavelengths in the wavelength range. As a result, the FWM efficiency for the combination of the shorter wavelengths and the longer wavelengths in the optical fiber communication wavelength range is high, therefore leading to a high probability of potential error introduced in the transmitted optical signals. In the 5 example shown in FIG. 1, the FWM efficiency for the combination of λ_1 with λ_2 is high, therefore leading to a high probability of potential error occurring due to FWM.

Advances in chromatic dispersion shifting and reduction in optical fibers have actually exacerbated the problem because FWM efficiency increases around the wavelength at which chromatic dispersion is zero. Increased optical power at the potentially combining wavelengths also increases the FWM efficiency. Furthermore, increased variety of 10 wavelengths used at the WDM channels also exacerbate the FWM problem because more optical wavelength combinations are available for the FWM process.

One known way to prevent the occurrence of FWM is to keep the optical power throughput low over the operating wavelength range of the WDM network. However, reduction of optical power leads to problems such as the cost associated with the need for additional repeaters to regenerate the optical signals and the potential increase in bit error rates due to signal weakness. The technological demand for increased distance between repeaters, reduced cost and more reliable data transmission makes this approach impractical.

Another approach to FWM suppression is to provide small but non-zero chromatic dispersion over the operating wavelength range. By introducing variation in the group velocities at different wavelengths in this way, FWM efficiency is reduced. This approach may be implemented using specialty optical fibers known in the art such as, for example, non-zero dispersion fiber (NZDF) and non-zero dispersion-shifted fiber (NZ-DSF). A dispersion compensation fiber (DCF) 20 may also be used in this approach. Also known as a negative dispersion fiber, DCF is generally an optical fiber whose chromatic dispersion decreases with increased wavelength (negative dispersion), as opposed to most other optical fibers whose chromatic dispersion increases at longer wavelengths (positive dispersion). By splicing predetermined lengths of DCF into an optical network that has been implemented using positive dispersion optical fiber, the overall chromatic dispersion profile of the network can be manipulated in such a way that a small but non-zero chromatic dispersion is 25 present across the operating wavelength range thus suppressing FWM.

There exist commercially-available optical fibers which combine the two aforescribed approaches to FWM suppression. The LEAF fiber (which is an abbreviation for Large Effective Area Fiber), available from Corning, provides a larger effective mode area, in comparison to most available NZ-DSF, through which the optical signals 30 travel.[2] Thus, since the optical power is spread over a larger area of the optical fiber than in conventional fibers, more optical power can be directed down the optical fiber without inducing nonlinear effects such as FWM. In addition, the LEAF has the characteristics of NZ-DSF such that FWM efficiency is further reduced. The TrueWave XL fiber, manufactured by Lucent Technologies, also features a larger effective modal area as well as negative dispersion properties.

A problem common to the aforescribed prior art approaches is the manufacturing complexity of the specialty optical fibers. Careful design and precision fabrication are required in order to achieve the often complex, radial refractive index profiles of these specialty fibers. The transmission characteristics of conventional optical fibers are established simply by the radius of the core and the relative values of the core refractive index and the cladding refractive index. However, the specialty optical fibers for FWM suppression require refractive index profiles that may vary linearly, parabolically, in steps or some combination thereof in the radial direction from the center of the fiber core. Some specialty fibers even require multiple cladding layers of different materials. The design and fabrication of these specialty fibers can be complicated and costly.[3]

The present invention provides an optical fiber which serves to resolve the problems described above with regard to prior art optical fibers in a heretofore unseen and highly advantageous way and which provides still further advantages.

SUMMARY OF THE INVENTION

As will be described in more detail hereinafter, there is disclosed herein an optical fiber including a core for guiding light of a specified range of wavelengths therethrough, each wavelength in the specified range of wavelengths traveling through the core at a particular group velocity and the light potentially producing a nonlinear optical effect. The optical fiber also includes a cladding formed around the core for substantially containing the light within the core. The optical fiber further includes a predetermined amount of at least one dopant uniformly dispersed throughout the core such that no two distinct wavelengths in the specified range of wavelengths travel through the core at the same, particular group velocity, thereby causing the nonlinear optical effect to be suppressed.

In another aspect of the invention, the core of the optical fiber includes a range of group index values uniformly distributed throughout the core, each wavelength in the specified range of wavelengths being associated with a particular group index value in the range of group index values and the light potentially producing a nonlinear optical effect. The optical fiber also includes an amount of at least one dopant uniformly dispersed throughout the core such that no two distinct wavelengths in the specified range of wavelengths are associated with the same, particular group index value in the range of group index values, thereby causing the nonlinear optical effect to be suppressed.

BRIEF DESCRIPTION OF THE DRAWINGS

The present invention may be understood by reference to the following detailed description taken in conjunction with the drawings briefly described below.

FIG. 1 is a graph illustrating the typical group index values as a function of wavelength for a conventional optical fiber, shown here to illustrate the existence of degenerate group index values for two different wavelengths.

FIG. 2A is a cross-sectional view of one embodiment of an optical fiber manufactured in accordance with the present invention shown here to illustrate the internal structure of the optical fiber.

FIG. 2B is a graph illustrating the distribution of refractive index values across a diameter of the optical fiber shown in FIG. 2A.

FIG. 3 is a graph illustrating the refractive index values as a function of photon energy for undoped silica.

5 FIG. 4A is a graph illustrating the refractive index values as a function of photon energy for an optical fiber with a silica-based core that has been doped uniformly throughout with 20 mol% of P_2O_5 .

FIG. 4B is a graph illustrating the mode index values as a function of photon energy for an optical fiber with a silica-based core that has been doped uniformly throughout with 20 mol% of P_2O_5 .

10 FIG. 4C is a graph illustrating the group index values as a function of photon energy for an optical fiber with a silica-based core that has been doped uniformly throughout with 20 mol% of P_2O_5 .

FIG. 5A is a graph illustrating the refractive index values as a function of photon energy for an optical fiber with a silica-based core that has been doped uniformly throughout with 20 mol% of GeO_2 and a silica-based cladding that has been doped uniformly throughout with 20 mol% of B_2O_3 .

FIG. 5B is a graph illustrating the mode index values as a function of photon energy for an optical fiber with a silica-based core that has been doped uniformly throughout with 20 mol% of GeO_2 and a silica-based cladding that has been doped uniformly throughout with 20 mol% of B_2O_3 .

FIG. 5C is a graph illustrating the group index values as a function of photon energy for an optical fiber with a silica-based core that has been doped uniformly throughout with 20 mol% of GeO_2 and a silica-based cladding that has been doped uniformly throughout with 20 mol% of B_2O_3 .

DETAILED DESCRIPTION

20 Turning again to the drawings, attention is immediately directed to FIG. 2A, which illustrates one embodiment of an optical fiber, generally indicated by the reference numeral 20. Optical fiber 20 includes a core 22 surrounded by a cladding 24. The dimensions of core 22 and cladding 24 are similar to those of a conventional single mode fiber, which commonly has a core diameter of 4 μm and a cladding diameter of 125 μm . Core 22 and cladding 24 are based on silica glass (SiO_2) or a similar material. Core 22 and cladding 24 are designed to have different values of refractive index such that light of a specified range of wavelengths is guided through the optical fiber.

25 The relative values of the refractive index of air, cladding and core are shown in FIG. 2B by line 26. As in the case of conventional single mode fiber, the refractive index value of the cladding ($n_{cladding}$) is relatively higher than that of air (n_{air}), and the core is composed of a material with a refractive index value (n_{core}) that is higher than $n_{cladding}$. It should be noted that the value of refractive index of a given material is dependent on the properties of the material as well as on the wavelength λ of light transmitted through that material. That is, each wavelength is associated with its own refractive index value such that refractive index value is a function of λ . Hence, line 26 of FIG. 2B represents the radial refractive index profile of optical fiber 20 for a particular wavelength of light. The difference in the values of

refractive index between core 22 and cladding 24 is designed such that light of a specified range of wavelengths is guided along the core. For example, in WDM applications to date, it is desirable to be able to guide light of the wavelength range $\lambda = 1.29 \mu\text{m}$ to $1.60 \mu\text{m}$ through the optical fiber.

By noting that 1 electron volt (eV) of photon energy corresponds to the energy of a photon of wavelength $\lambda = 1.24 \mu\text{m}$, this wavelength range is equivalent to the photon energy range of $E_p = 0.775 \text{ eV}$ to 0.961 eV . In this case, the refractive index value can be expressed as a function of E_p . A graph of the refractive index value versus photon energy for silica over the photon energy range of $E_p = 0.775 \text{ eV}$ to 0.961 eV is shown in FIG. 3. The graph shown in FIG. 3 has been calculated using a two-term Sellmeier model as described in C.R. Hammond, "Silica-based binary glass systems: wavelength dispersive properties and composition in optical fibres," *Optical and Quantum Electronics*, vol. 10, 1978, pp. 163-170 (Hammond), which is herein incorporated by reference. The units of photon energy will be used in the discussion which follows hereinafter.

Continuing to refer to FIG. 3, curve 50, which corresponds to the refractive index value as a function of photon energy over the photon energy range of interest, is generated according to the two-term Sellmeier model as described in Hammond:

$$n(E_p)^2 - 1 = \frac{E_d E_o}{E_o^2 - E_p^2} + \frac{E'_d E'_o}{E'_o^2 - E_p^2} \quad \text{Eq. (1)}$$

where E_d and E_o are the dispersion energy and the effective oscillator energy in the visible and near-infrared wavelengths, respectively, and E'_d and E'_o are respectively the dispersion energy and the effective oscillator energy adjustment terms in the infrared wavelengths. The values of E_d , E_o , E'_d and E'_o as given in Table I of Hammond are used in generating curve 50.

In general, the group index which corresponds to the group velocity at which light of a given photon energy will travel through a material, is also dependent on the photon energy and properties of the material. The group index can be calculated from the refractive index value $n(E_p)$ using the expression:

$$n_{group}(E_p) = n(E_p) + E_p \cdot \frac{dn(E_p)}{d(E_p)} \quad \text{Eq. (2)}$$

and the group velocity as a function of photon energy can then be expressed as:

$$v_{group}(E_p) = \frac{c}{n_{group}(E_p)}. \quad \text{Eq. (3)}$$

As previously observed, the occurrence of FWM increases when the potentially combining wavelengths travel along the fiber at the same group velocity over an extended distance. Furthermore, it is also noted that the group velocity is dependent on the group index $n_{group}(E_p)$, which is in turn dependent on the properties of the material through which the

light is traveling. Therefore, by adjusting the material properties of core 22 and/or cladding 24, it is possible to achieve a group index profile in which no two photon energies (or wavelengths) are associated with the same group index, and hence group velocity, over the photon energy range of interest. In this way, the occurrence of FWM is reduced in optical fiber 20.

5 Returning to FIG. 2A, core 22 of optical fiber 20 includes at least one dopant (not shown) uniformly dispersed throughout the core. The dopant material may be commonly used dopants used in fabricating conventional optical fiber including, but not limited to, phosphorus oxide (P_2O_5) and germania (GeO_2). The amount of dopant included in the core is determined so as to ensure that no two wavelengths in the specified range of wavelengths are associated with the same refractive index value. In addition, a cladding dopant may be dispersed throughout cladding 24 so as to further reduce 10 the FWM efficiency. A material suitable for use as the cladding dopant includes, but is not limited to, boron oxide B_2O_3 .

Attention is now directed to FIGS. 4A-4C illustrating the refractive index, mode index and group index values as a function of photon energy for an optical fiber including a silica-based core doped with 20 mol% of P_2O_5 and a silica cladding according to the present invention. The graphs are generated using the abovementioned two-term Sellmeier model as shown in Eq. 1 with a doping level dependency introduced into the dispersion and oscillator energy terms E_d , E_o , E'_d and E'_o so as to take into account the material composition of the core and the cladding. The dispersion and oscillator terms for the core, in this case, are dependent on a variable x , which corresponds to the molecular ratio of silica to dopant ($x SiO_2:1 P_2O_5$, etc.). For example, $x = 4$ for a material of a silica base doped with 20 mol% of P_2O_5 . Then, the dispersion and oscillator energies are expressed as:

$$E_o(x) = E_o(\text{dopant}) + U(x)[E_o(\text{base}) - E_o(\text{dopant})] \quad \text{Eq. (4a)}$$

$$\text{and} \quad E_d(x) = E_d(\text{dopant}) + V(x)[E_d(\text{base}) - E_d(\text{dopant})] \quad \text{Eq. (4b)}$$

where $U(x)$ and $V(x)$ are the bond fraction and cation fraction, respectively. $U(x)$ and $V(x)$ are determined according to the composition of the molecules with $U(x) = V(x) = 1$ for SiO_2 and $U(x) = V(x) = x/(x+2)$ with P_2O_5 as the dopant, according to Hammond. In this way, curve 100 corresponding to the refractive index value as a function of photon energy as shown in FIG. 4A is generated by combining Eq. (1) with Eqs. (4a) and (4b).

25 Turning now to FIG. 4B, curve 110 represents calculated mode index values as a function of photon energy in the case where the optical fiber is composed of a P_2O_5 -doped silica core with a diameter of 4 μm and a silica cladding. Mode index $n_{\text{mode}}(E_p)$ is a value which corresponds to the index of refraction as seen by an optical mode of a particular photon energy propagating through the core an optical fiber. Mode index differs from the refractive index or group index because mode index takes into account the finite diameter of the core as well as the difference in the refractive index values between the core and the cladding of the optical fiber. For a system in which a material with a particular refractive index value is surrounded by another material with a different refractive index value, the group index must be calculated from the mode index. The mode index is expressed as:

$$n_{\text{mode}}(E_p) = n_{\text{cladding}}(E_p) + \beta \cdot [n_{\text{core}}(E_p) - n_{\text{cladding}}(E_p)] \quad \text{Eq. (5)}$$

where $\beta = [(1.1428 - 0.9960) / V]^2 \approx 0.004074$ to an accuracy of 0.2% using the approximation that the $V = k a (n_{core}^2 - n_{cladding}^2) = 2.3$, where k = wave number and a = core diameter = 4 μm . In the present case of the P_2O_5 -doped silica core optical fiber with silica cladding, $n_{cladding}(E_p)$ is $n(E_p)$ as shown in FIG. 3, and $n_{core}(E_p)$ is the refractive index as a function of photon energy as shown in FIG. 4A. Mode index, as represented by curve 110 in FIG. 4B, becomes the basis from which the group index is calculated.

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Referring now to FIG. 4C, curve 120 represents the group index value as a function of photon energy for the P_2O_5 -doped silica core optical fiber with silica cladding. Curve 120 is generated using Eq. (2), replacing $n(E_p)$ with $n_{mode}(E_p)$. As can be seen in FIG. 4C, no two values of photon energy are associated with the same value of group index. Therefore, by doping the core of a silica-based optical fiber with 20 mol% of P_2O_5 , as in the case shown in FIG. 4C, it is ensured that no two photon energies (or wavelengths) of light travel through the optical fiber at the same group velocity and thus FWM is reduced.

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The procedure used to generate FIGS. 4A-4C can be used to calculate the amount of dopant required to achieve the desired FWM-reduction effect. Different amounts of dopant, different dopant materials and combinations of dopants can be inserted into Eqs. (1) – (5) to determine if another molecular concentration or a different dopant may be used to accomplish the effect of tailoring the group index curve so that no two photon energies of light travel at the same group velocity through the optical fiber. In this way, combinations of core and cladding dopants and their concentrations for achieving non-degenerate group index values over the photon energy range of interest are calculated.

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only for photon energies less than approximately 0.925 eV, by inspection, for the GeO_2 -doped core and B_2O_3 -doped cladding combination. Hence, this particular combination of dopants in the core and cladding will result in a fiber which is effective in reducing FWM only over the range of approximately $\lambda = 1.34$ to $1.60 \mu\text{m}$. However, the advantages of the simple, radial refractive index profile and hence the simplified manufacturing process of the optical fiber as characterized in FIGS. 4A-4C are maintained in the optical fiber whose index properties are illustrated in FIGS. 5A-5C.

Although only two specific examples of the present invention have been described, since the optical fiber and associated method disclosed herein may be provided in a variety of different configurations and the method may be practiced in a variety of different ways, it should be understood that the present invention may be embodied in many other specific ways without departing from the spirit or scope of the invention. For example, the core and cladding of an optical fiber may be doped in essentially unlimited number of ways using a variety of different dopants in a way which yields an optical fiber with a group index curve such that no two photon energies of light correspond to the same group index (thus travel with the same group velocity) in the optical fiber. Such modifications are considered to be within the scope of the present invention so long as the teachings herein are applied. Therefore, the present examples are to be considered as illustrative and not restrictive, and the invention is not to be limited to the details given herein, but may be modified within the scope of the appended claims.

REFERENCES

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